

Top Quark Mass Reconstruction using High Pt Top in the Lepton + Jets Channel

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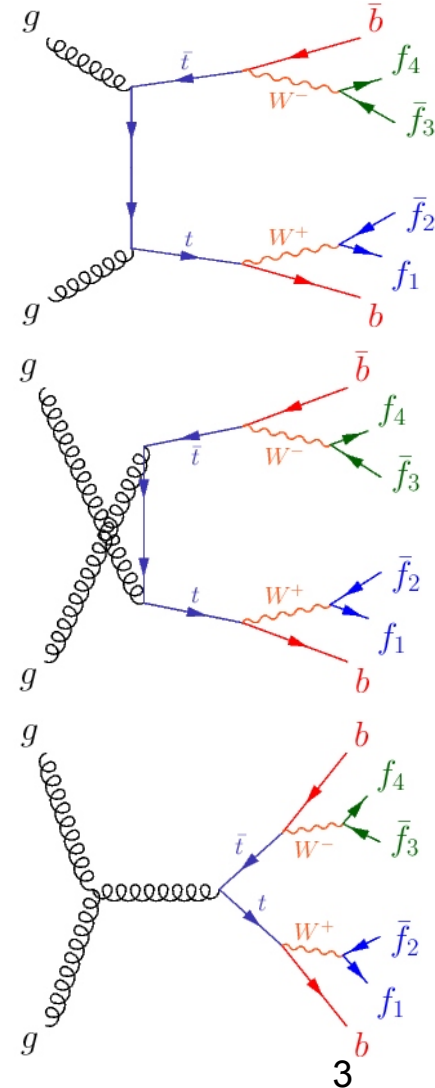
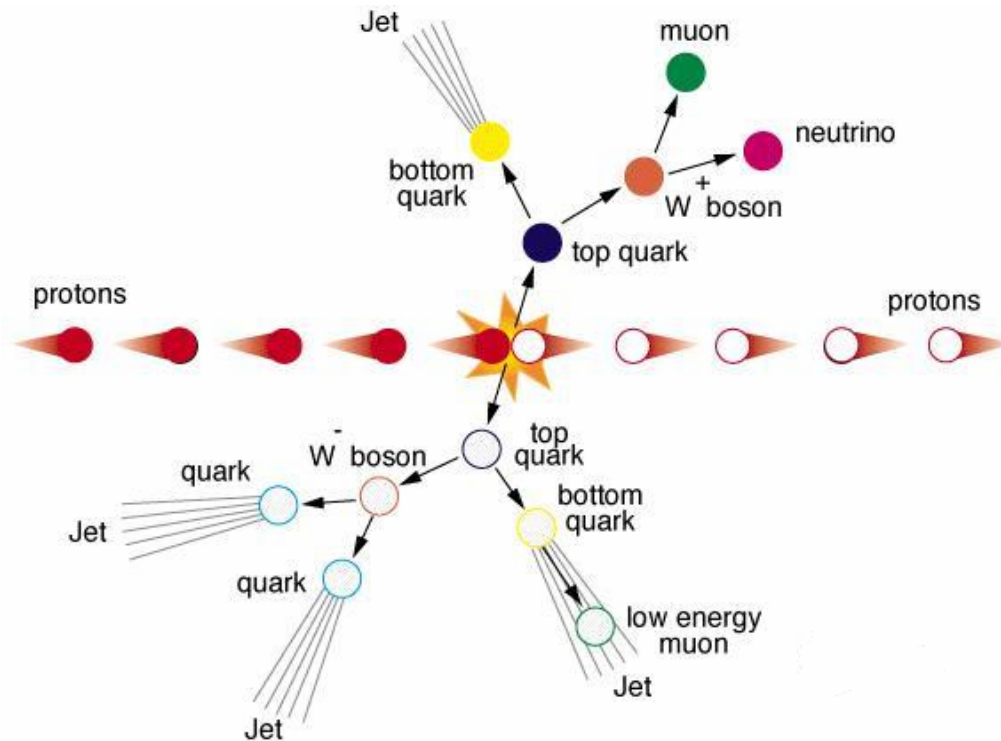
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OUTLINE

- ❑ Introduction
- ❑ Topology of Lepton + Jets
- ❑ High Pt top basic idea
- ❑ 3 methods for jets selection
- ❑ Top quark mass reconstruction from jets
- ❑ Jets clustering in detector
- ❑ Clusters invariant masses M_{clus}^{top}
- ❑ Underlying Event (UE_{clus}) estimation and subtraction
- ❑ Calibration from high Pt W_{clus}
- ❑ Summary

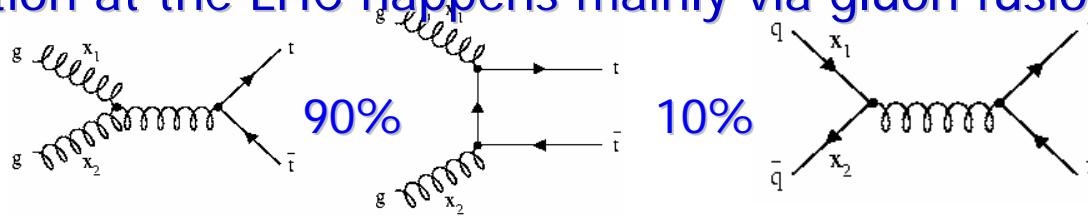
Topology of Lepton + Jets channel at LHC

- NLO Cross-section for $t\bar{t}$ production at LHC is $\sigma(t\bar{t}) \sim 830 \pm 100 \text{ pb}$ (LO about $\frac{1}{2}$ of this at the same scale)

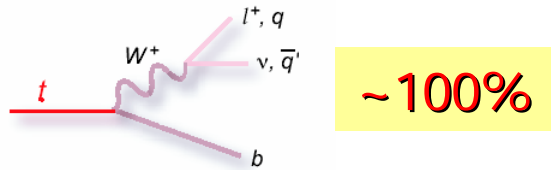


Top production and decay at the LHC

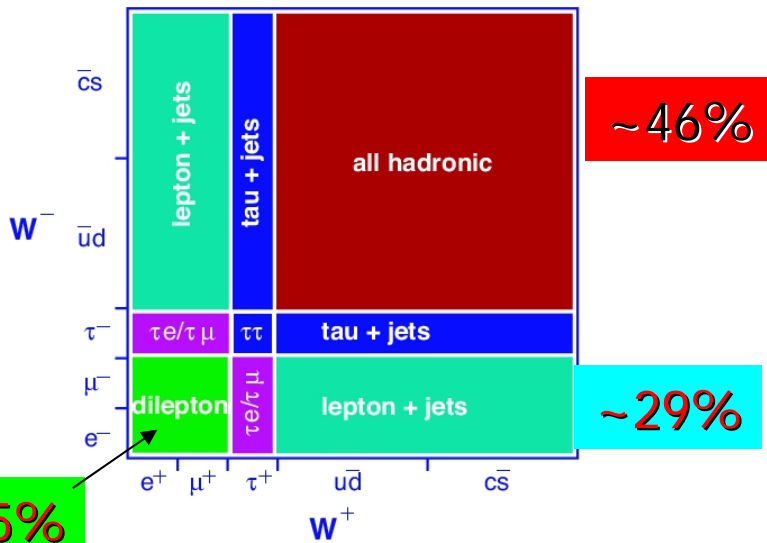
Top production at the LHC happens mainly via gluon fusion:



The top in the SM decays into $W+b$, leading to different signatures



$t\bar{t}$ decay modes



need to reconstruct and identify

- electrons
- muons
- b-jets
- light jets
- missing E_T

High P_+ top basic idea

- ✓ Highly boosted top quark decay back-back, making two hemispheres
- ✓ When the top has a higher boost, one expect the opening angle between W and b (from top decay) to be smaller.
- ✓ High p_t tops have decay angles close to the top flight direction and therefore the mass of the objects in a large cone around the top direction is correlated with real top mass.
- ✓ The idea why we take high p_t tops is to get the three jets from the top decay close to each other and that they can be collected in one cone with a large opening angle.
- ✓ One could calculate the mass of the objects which are in larger cone around the top quark direction of flight. For this the top quark needs to have a larger $p_t > 200\text{GeV}$.

Generator level cuts

$$t\bar{t} \rightarrow bW^+bW^- \rightarrow bq\bar{q}bl\nu(l = \mu)$$

- $P_{\perp}^{\text{top}} > 200 \text{ GeV}, |\eta| < 3.0$
- $P_{\perp}^{\text{anti-top}} > 200 \text{ GeV}, |\eta| < 3.0$
- $P_{\perp}^{\mu} > 20 \text{ GeV}, |\eta| < 2.0$
- $P_{\perp}^q > 20 \text{ GeV}, |\eta| < 2.5$

FAMOS_1_4_0 samples

165 Top mass point = 20K events

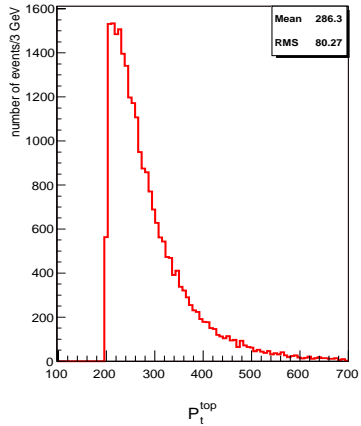
175 Top mass point = 50K events

185 Top mass point = 20K events

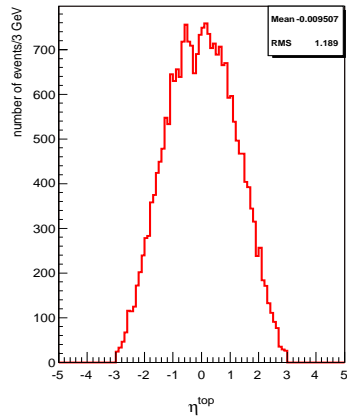
X-section more than 1% of the total $t\bar{t}$ cross-section

	no of events With pile-up	Int luminosity fb^{-1}	X-section pb
$t\bar{t} \rightarrow bW^+bW^- \rightarrow bq\bar{q}bl\nu(l = \mu)$	49535	7.23	6.85

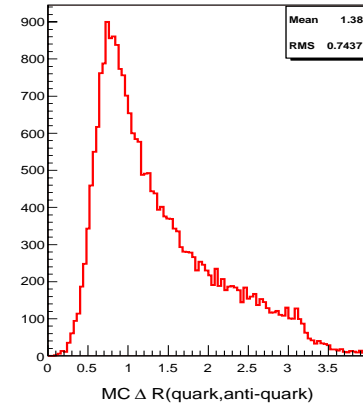
Partonic Level Distributions



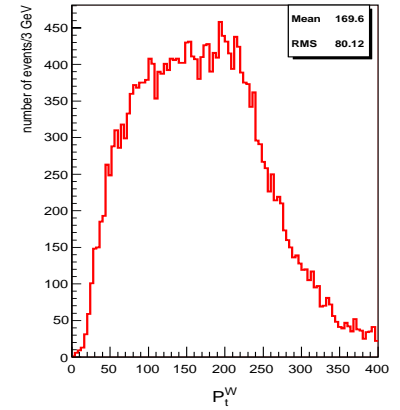
P_t^{top}



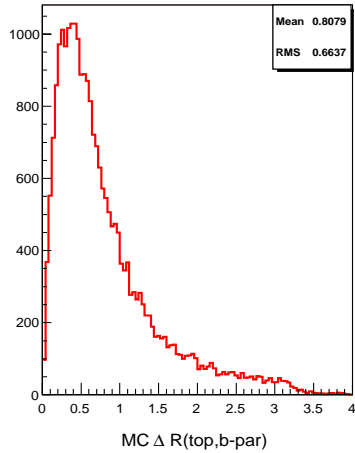
MC η^{top}



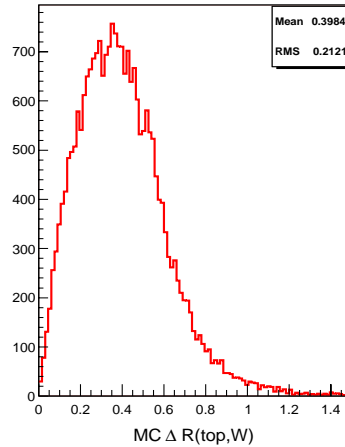
$\Delta R(q, q\text{bar})$



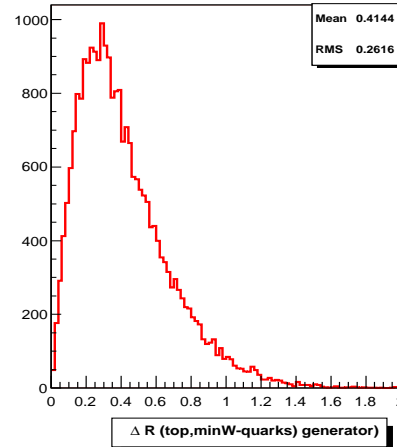
P_t^W



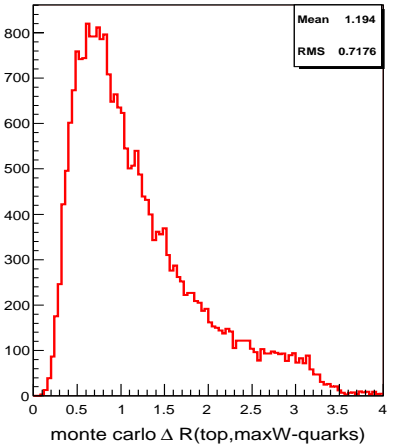
$\Delta R(\text{top}, b\text{-par})$



$\Delta R(\text{top}, W)$

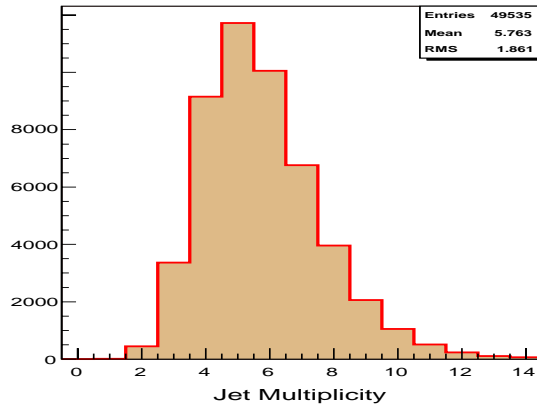


$\Delta R(\text{top}, \text{min } W\text{-quarks})$

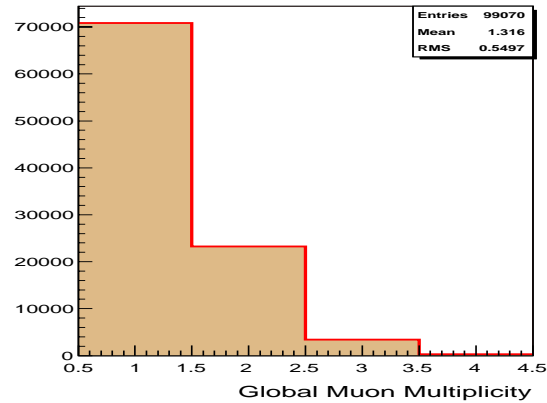


$\Delta R(\text{top}, \text{max } W\text{-quarks})$

Jet Multiplicity distribution

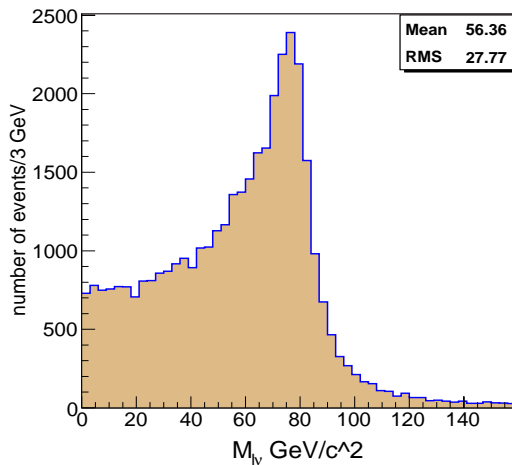


Global muon multiplicity dist.

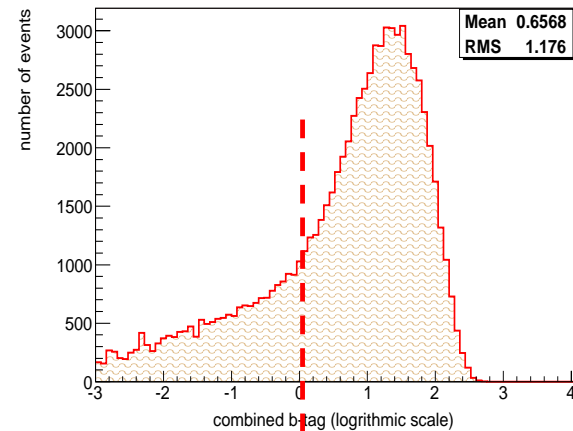


- METMC → MET from particles
- MET > 30 GeV
- At least 1 iso good muon, $P_{\uparrow} > 20$ GeV, $|\eta| < 2.0$

combined b-tag disc. > 1.0
(60% b-tag efficiency)



leptonic W reco mass



combined b-tag discriminator

Leading jets and muons P_T distributions

Isolated muon

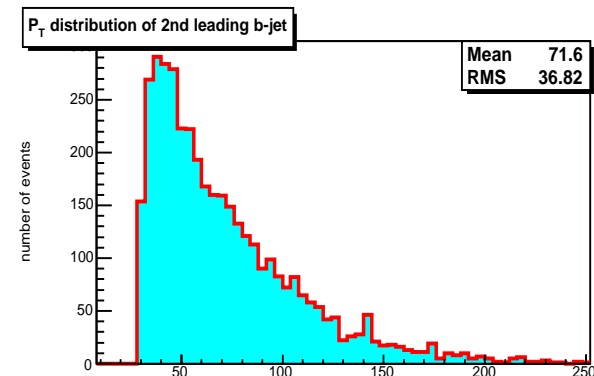
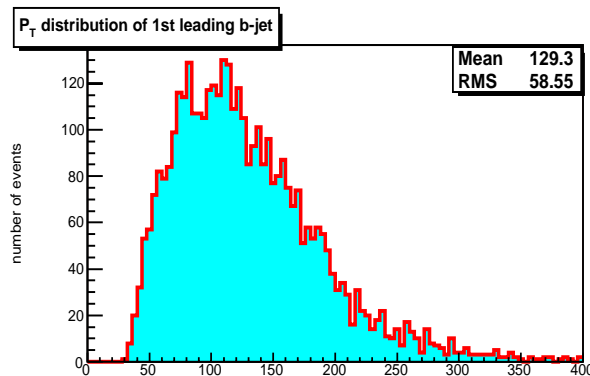
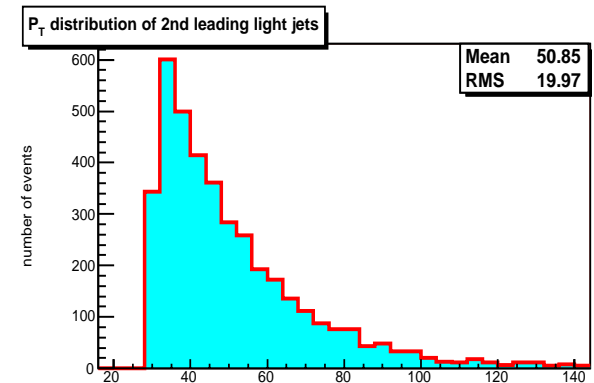
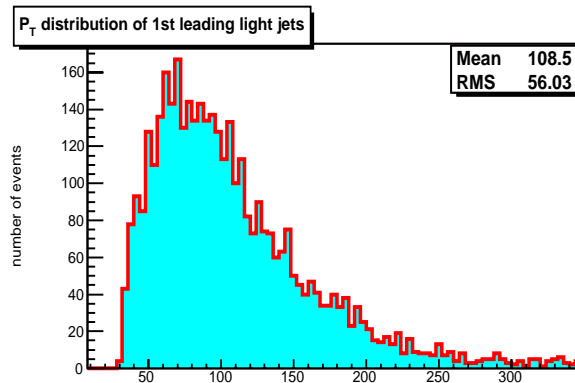
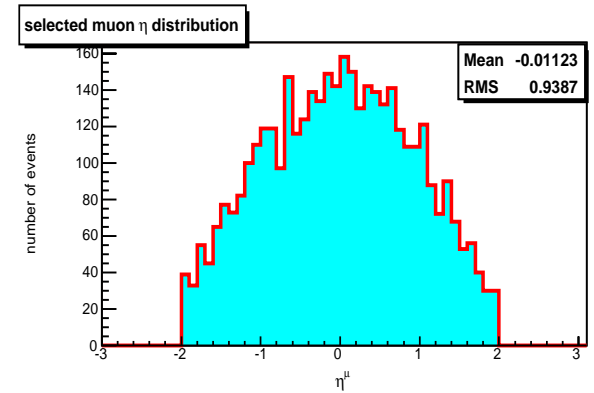
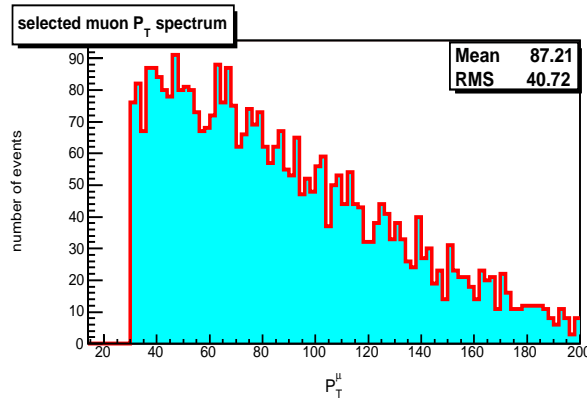
$$\Sigma P_{T, \text{trks}} / P_{T, \mu} < 5\%$$

$$(\Delta R = 0.01 - 0.2)$$

Efficiency > 92%

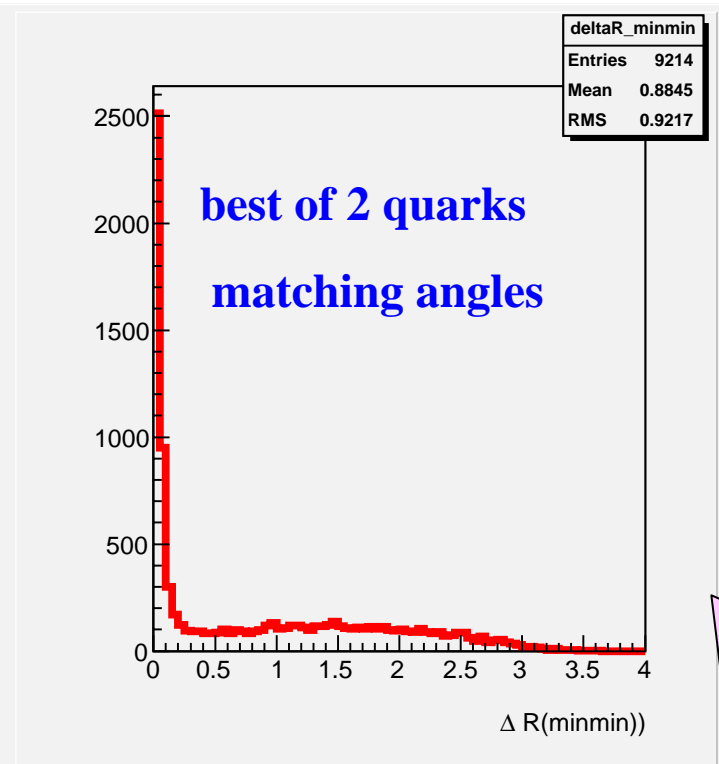
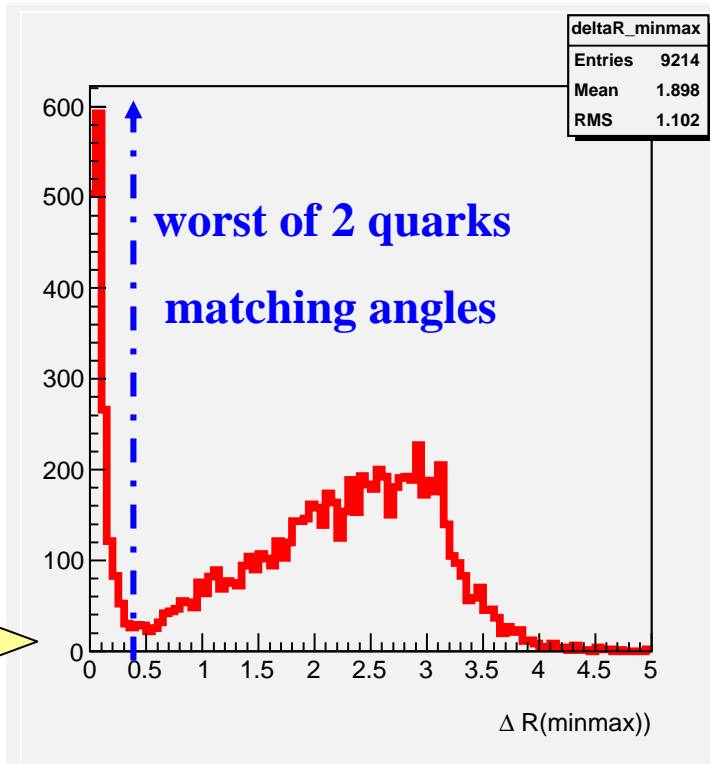
Leading light jets P_T

Leading b-jets P_T



Jet-Parton Matching (JPM)

- 2 light jets + 2 quarks from W
- 4 possible jet combinations → take best combination



Correctly matched if $\Delta R < 0.4$

Maximum of two minimas

Introducing 3 approaches

• Three approaches to select events
+ jet combination (for top direction)

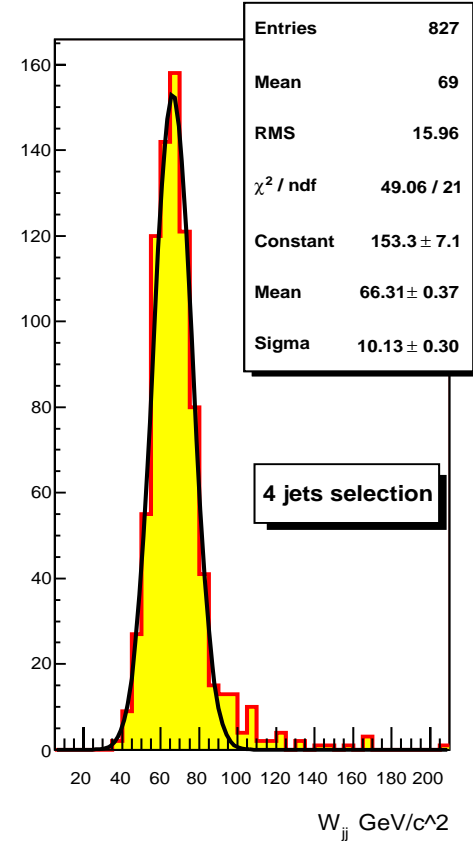
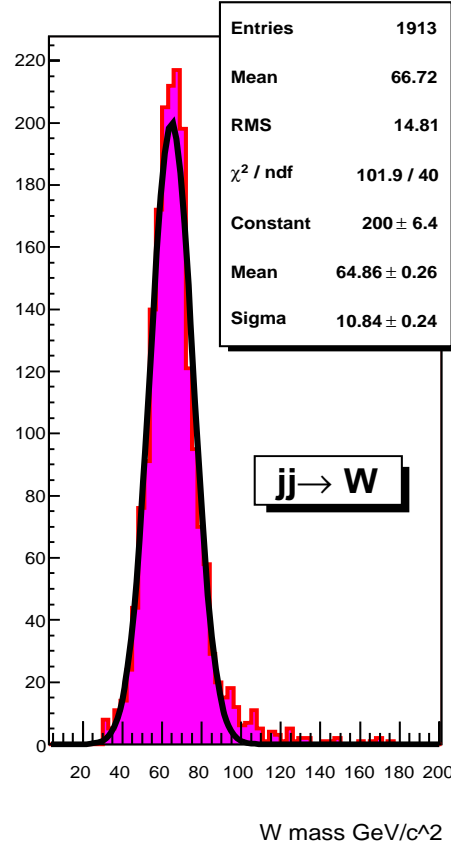
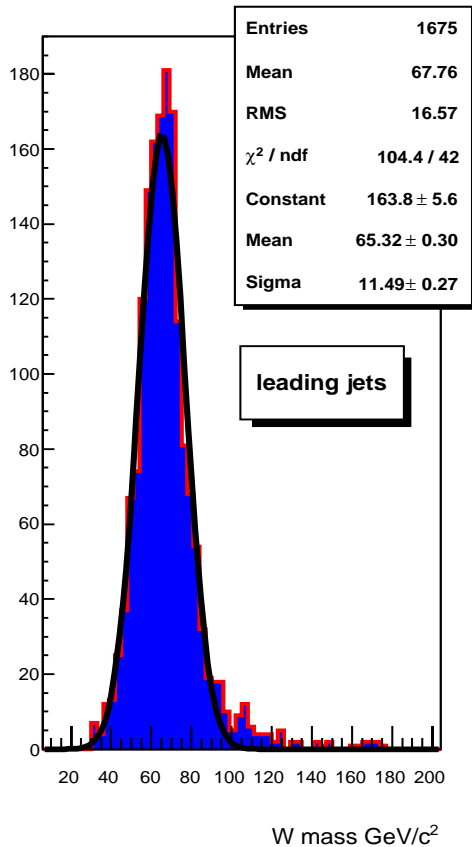
- ❖ Leading jets ≥ 2 b-tagged jets, ≥ 2 non b-tagged jets
- ❖ Exactly 4 leading jets, =2 b-tagged jets, = 2 non b-tagged jets
- ❖ >2 leading b-jets, 2 light jets with m_{jj} closest to W mass

Top quark selection from leading jets

Kinematical cuts	Selection efficiency %	No of events
Before selection	100	49535
no of iso muons	93.6	46370
≥ 1 iso muon $P_t > 30$ GeV	92.7	45920
≥ 1 reco light jets $P_t > 20$ GeV	91.1	45117
≥ 2 reco light jets $ \eta < 2.5$	73.6	36484
≥ 1 b-jet $P_t > 20$ GeV	55.6	27543
≥ 2 b-jets $ \eta < 2.5$	18.6	9214
$ m_{jj} - m_W^{\text{nom}} < 20$ GeV	8.5	4235

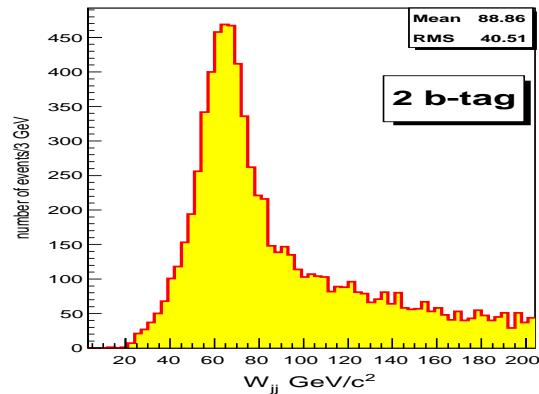
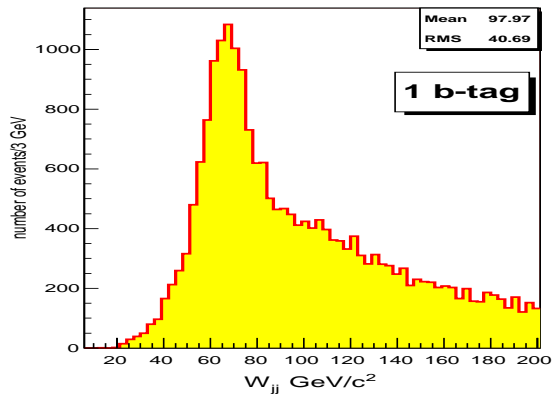
$m_W^{\text{nom}} = 65.24$ (gaussian fitted correctly matched)

Nominal mass—fitted mass ~ 65 GeV



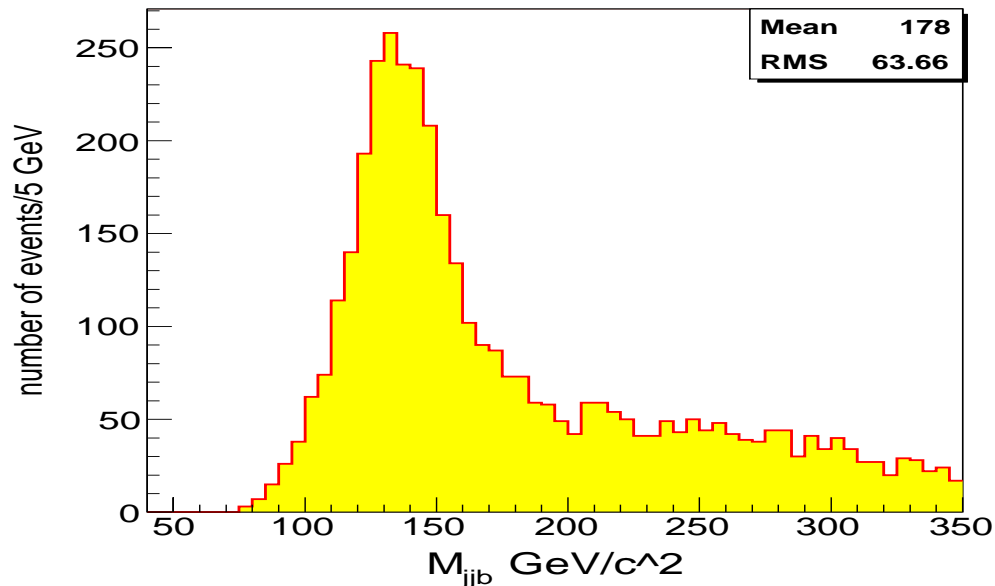
Same m_W^{nominal} used in all selections

Top quark mass measurement from leading jets



Reco W-boson purity with 2 quarks matched = 18.17%

Reco W-boson purity with 1 quark matched = 42.7%



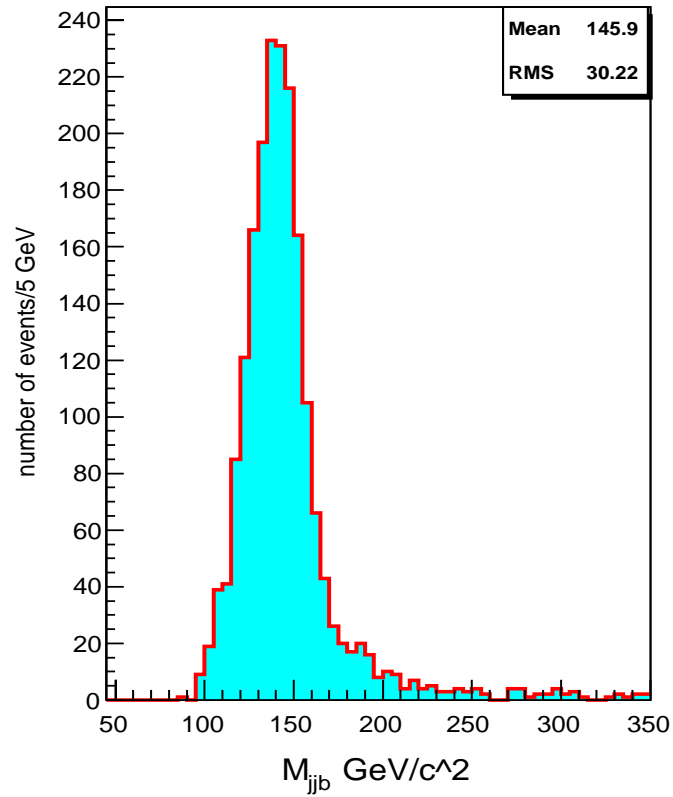
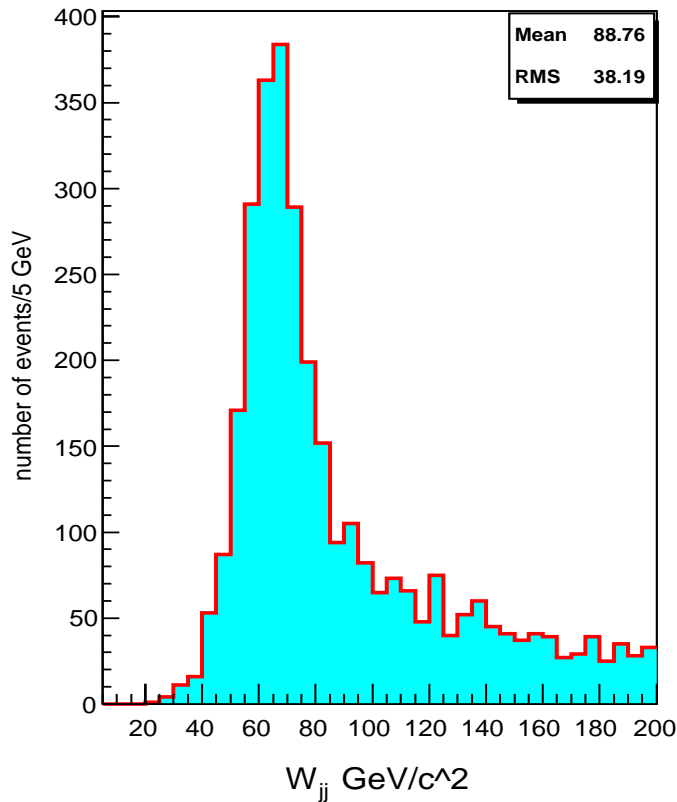
b-jet with furthest
(max ΔR) wr.t muon

Top quark selection from four jets topology

Kinematical cuts	Selection efficiency %	no of events
Before selection	100	49535
no of iso muons	93.6	46370
≥ 1 iso muon $P_t > 30$ GeV	92.7	45916
≥ 1 reco light jets $P_t > 20$ GeV	92.7	45915
Exectly 4 jets $\eta < 2.5$	21.3	10551
Exectly 2 light jets	8.0	3941
Exectly 2 b-jets	8.0	3941
$m_{jj} - m_W < 20$ GeV	3.9	1937

Reco W-boson purity with 2 quarks matched = 20.98%

Reco W-boson purity with 1 quark matched = 43.26%



Di-jet invariant mass dist from four jets selection

Di-jet with associated b-jet invariant mass dist. from four jets selection

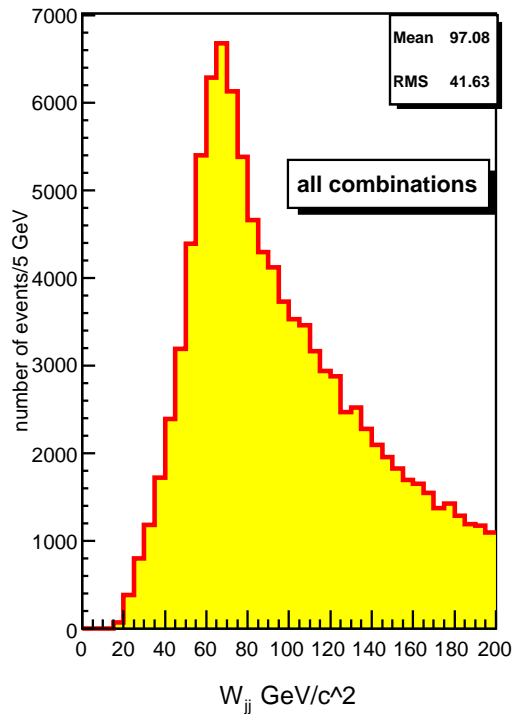
Top quark selection from $jj \rightarrow W$

Kinematical cuts	Selection efficiency %	no of events
Before selection	100	49535
no of iso muons, $P_{\uparrow} > 30 \text{ GeV}$, $ \eta < 2.0$	92.7	45920
2 $jj \rightarrow W$, $P_{\uparrow} > 20 \text{ GeV}$, $ \eta < 2.5$	73.6	36484
≥ 2 b-jets $P_{\uparrow} > 20 \text{ GeV}$, $ \eta < 2.5$	18.6	9214
$ m_{jj} - m_W < 20 \text{ GeV}$	11.9	5917

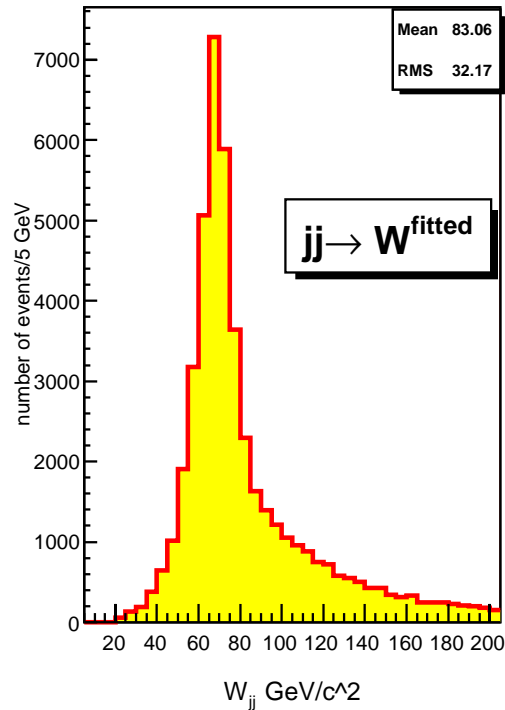
W mass reconstruction $jj\text{---}W$

Reco W-boson purity with 2 quarks matched = 20.76 %

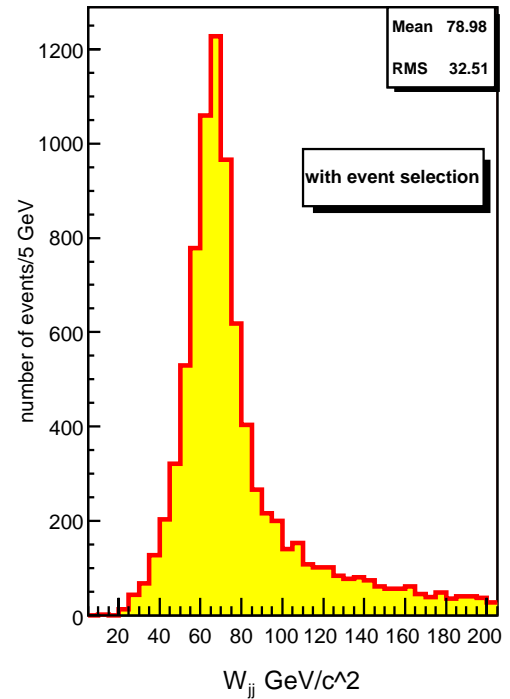
Reco W-boson purity with 1 quark matched = 40.6 %



All jets combinations

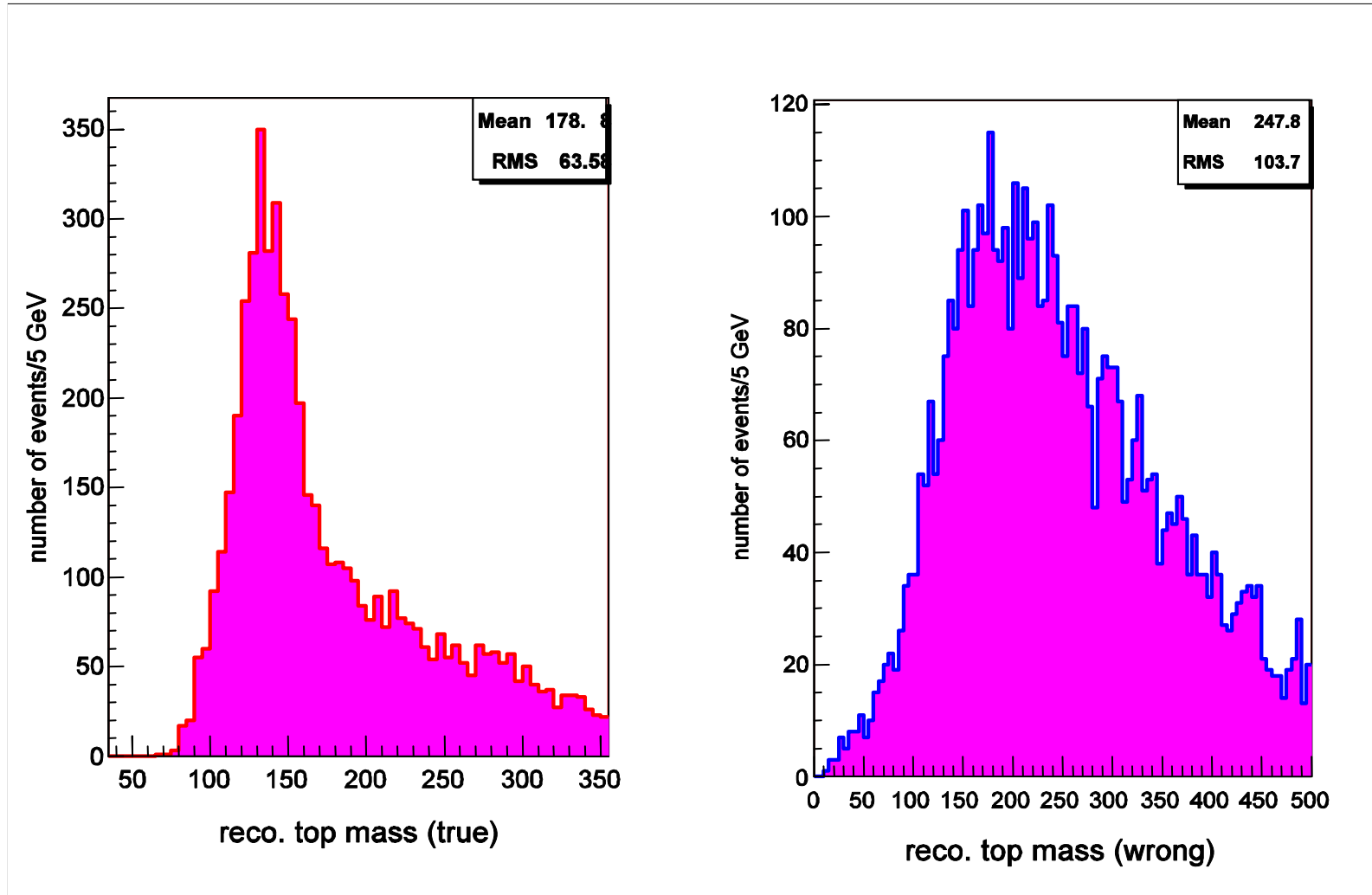


Before b-jet selection

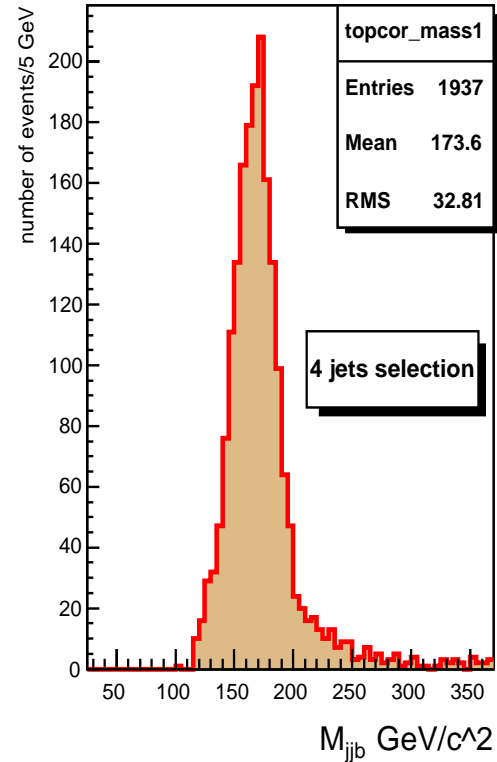
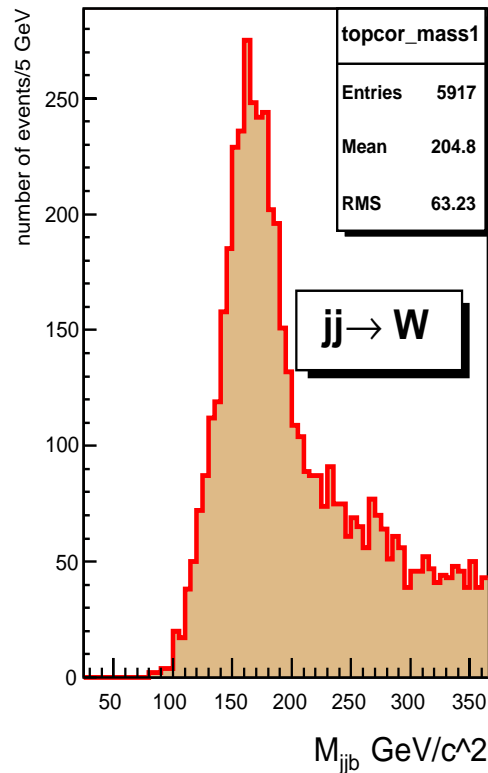
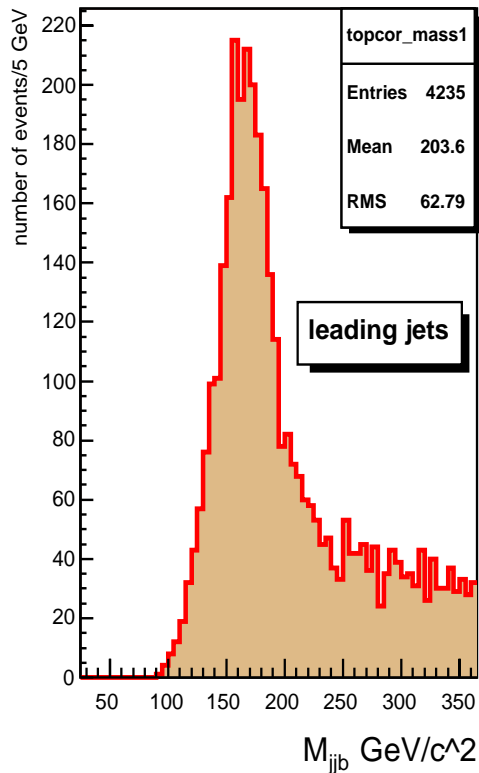


After full selection

Top quark mass reconstruction from $jj \rightarrow W$



M_{jjb} plots for all selections after calibration



Comments on m_{jjb}

- ❖ Study based on shape of distributions for top direction determination
- ❖ Explored three types of selection criteria for hadronic top mass reconstruction
- ❖ Four jets selection results low efficiency with higher W purity
- ❖ Jets with inv mass close to W have higher efficiency with intermediate purity of W

Cluster Method (special Algorithm)

➤ Once top direction determined, and $P_{\top}(jjb) = 200 \text{ GeV}$

➤ Invariant mass of all calorimeters clusters

$\Delta\eta \times \Delta\phi$ around top direction

$$m^2_{clusters}(\Delta R) = (E^2 - P^2) = \left(\sum_{i=0.7}^{n\Delta R} E_i \right)^2 - \left(\sum_{i=0.7}^{n\Delta R} \vec{P}_i \right)^2$$

✓ E_i represents total energy of the i th cluster

✓ $n\Delta R$ runs over all clusters within selected cone size

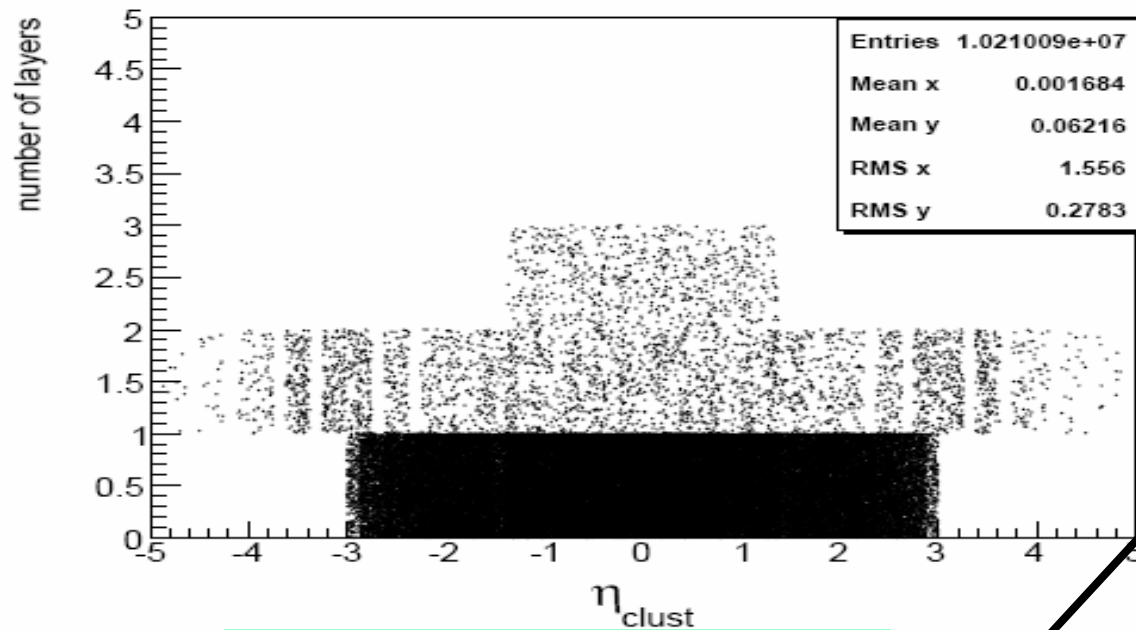
✓ \vec{P}_i its 3-momenta vector

We know only E, η, ϕ about clusters

Assumptions:

considering particles massless

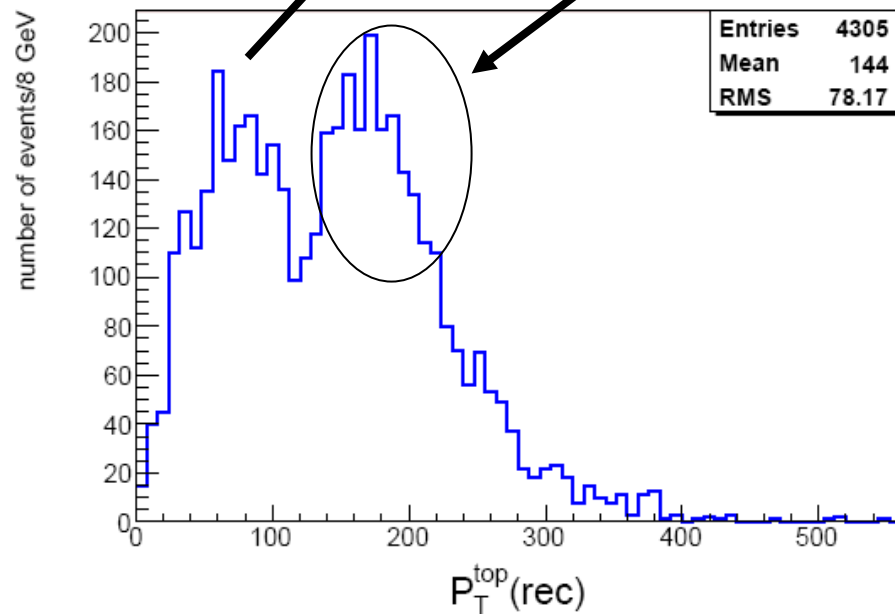
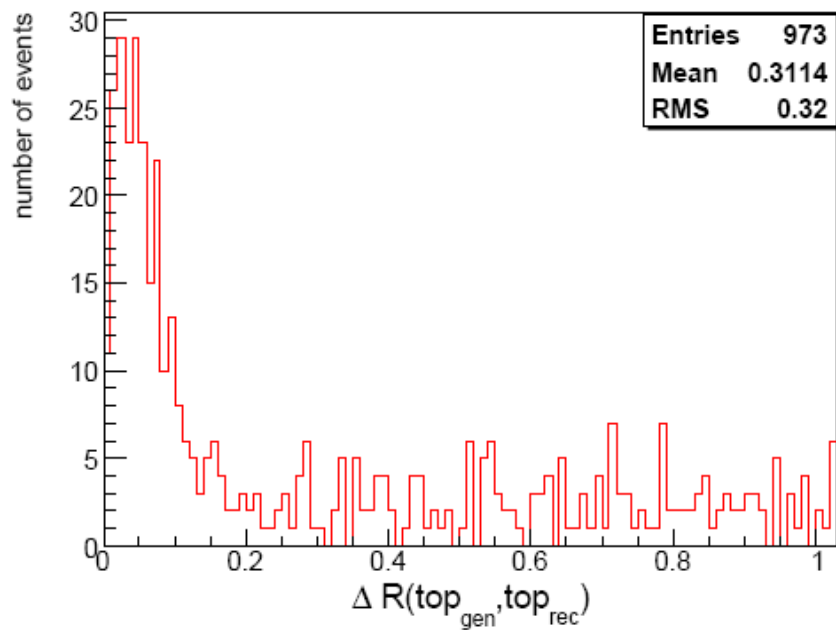
$$\begin{aligned} m \approx 0 &\Rightarrow E^2 \equiv P^2 \\ P_x &= E \sin \vartheta \cos \varphi \\ P_y &= E \sin \vartheta \sin \varphi \\ P_z &= E \cos \vartheta \end{aligned}$$



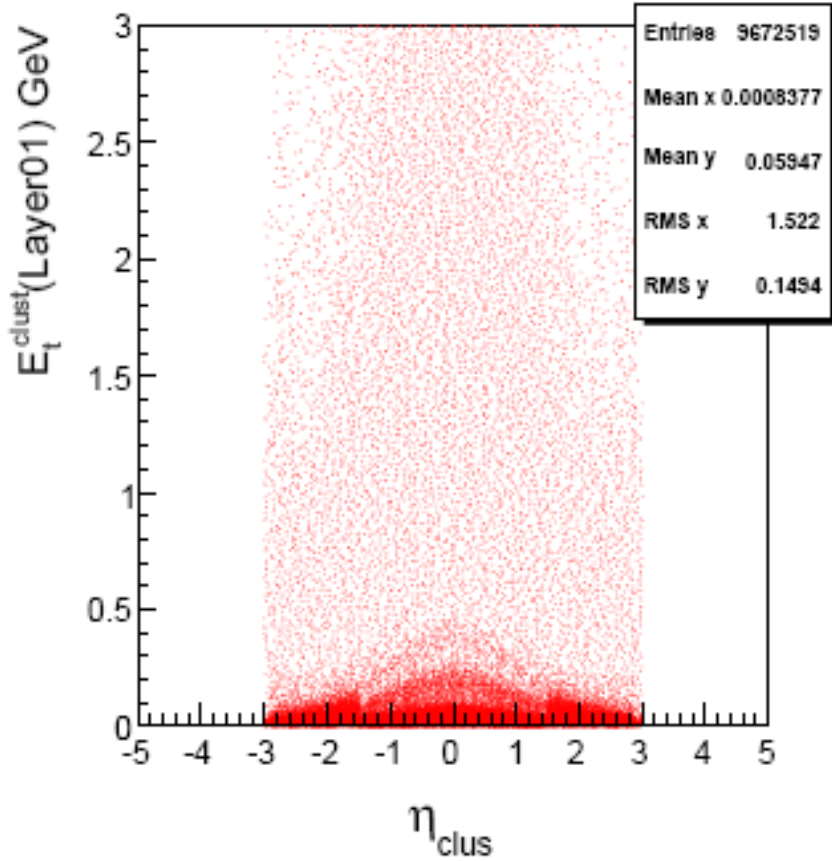
Calorimeters identifications

Wrong

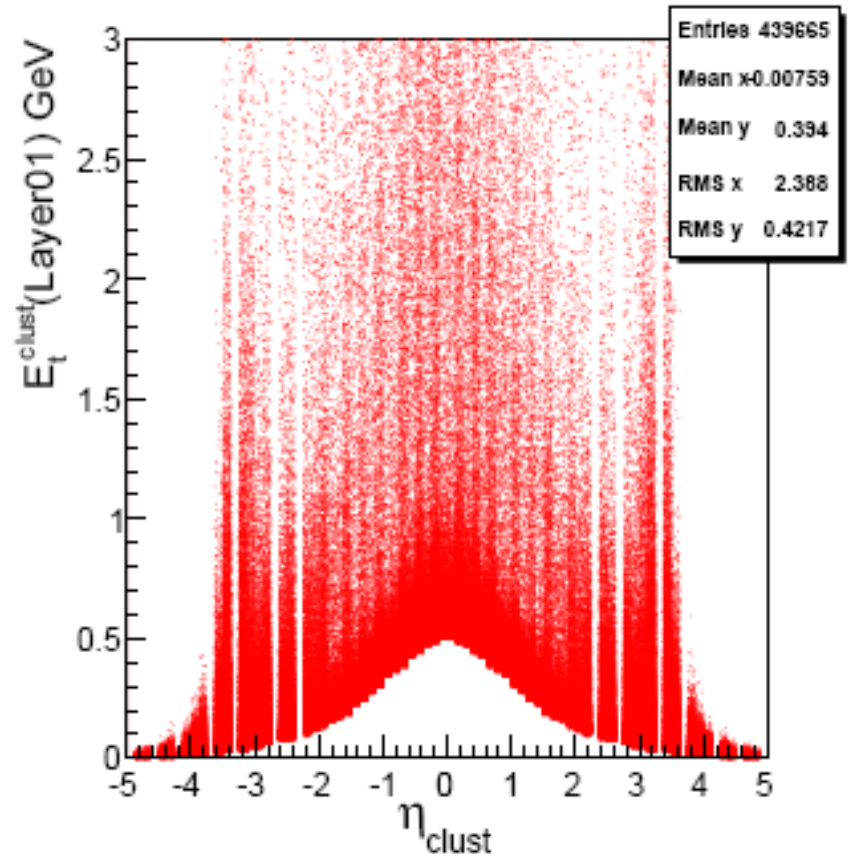
Right combinations

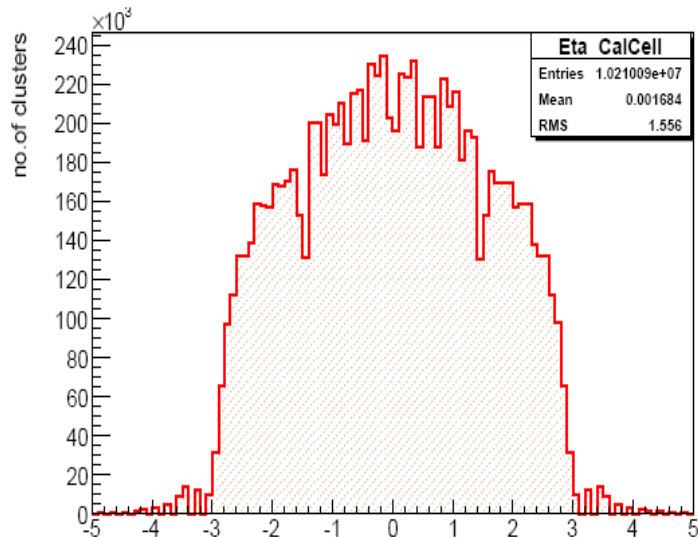
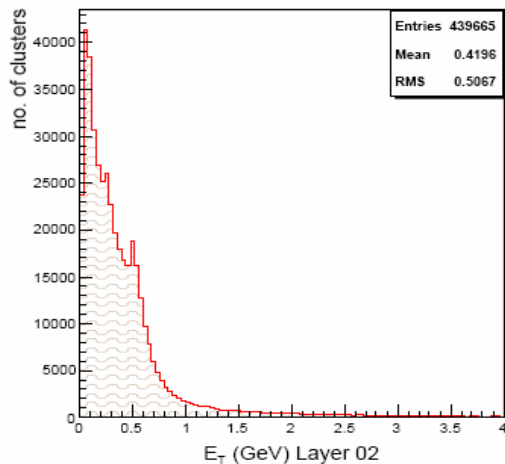
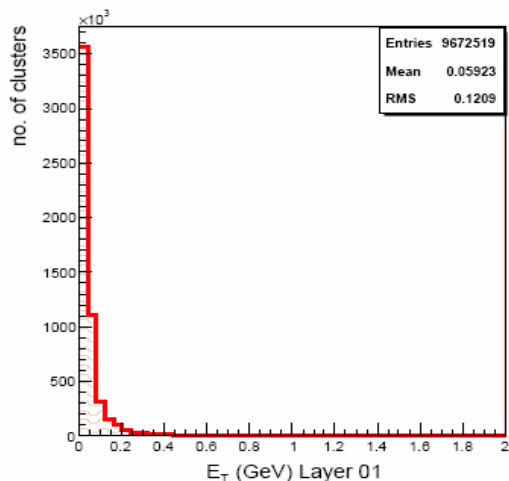


eta(cluster) vs Et of cluster (Layer 0)



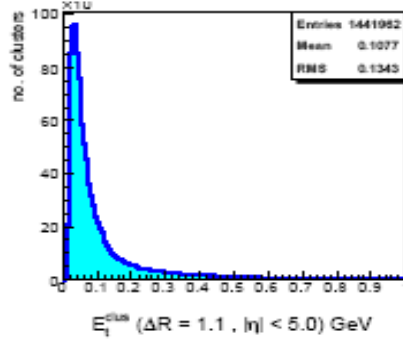
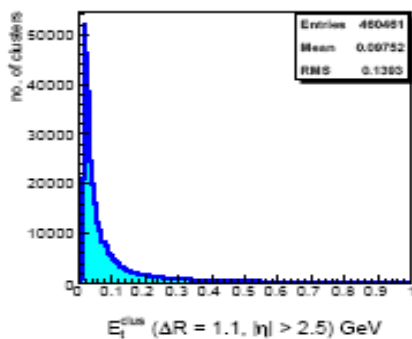
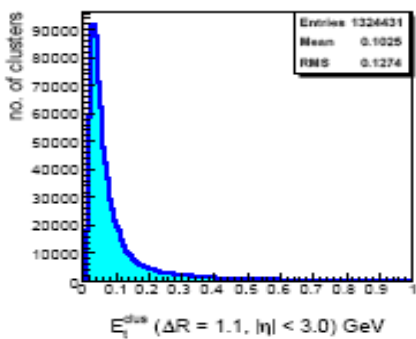
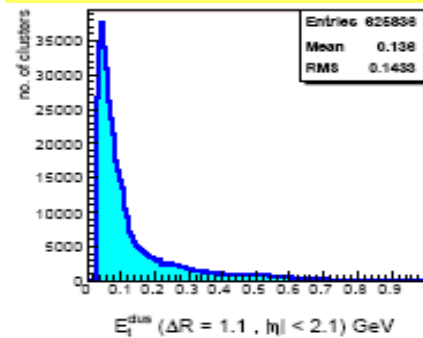
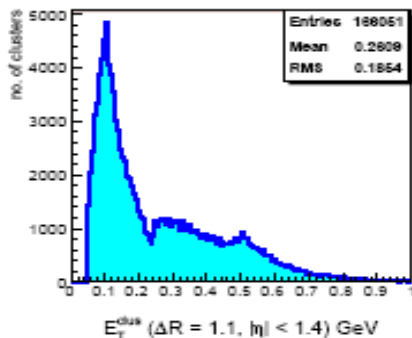
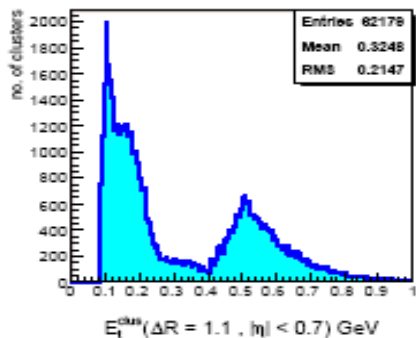
eta(cluster) vs Et of cluster (Layer 1)





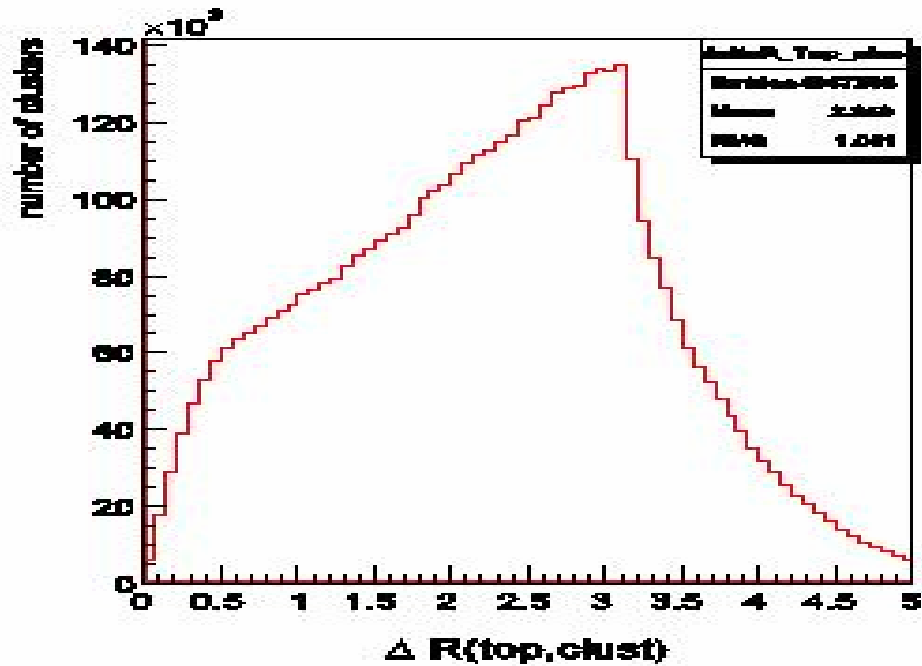
$E_T(\text{ECAL}) \ll E_T(\text{HCAL})$

Reco clusters pseudo-rapidity



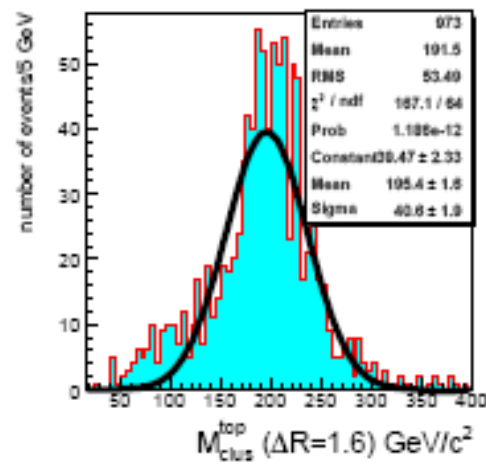
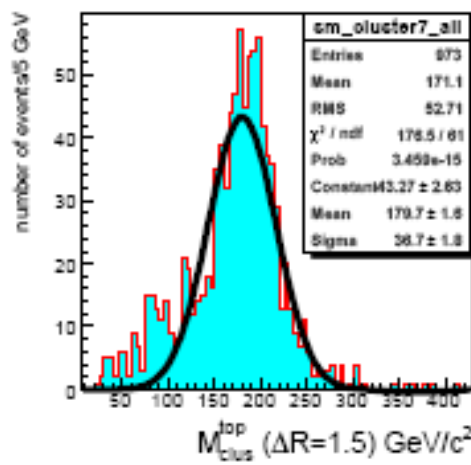
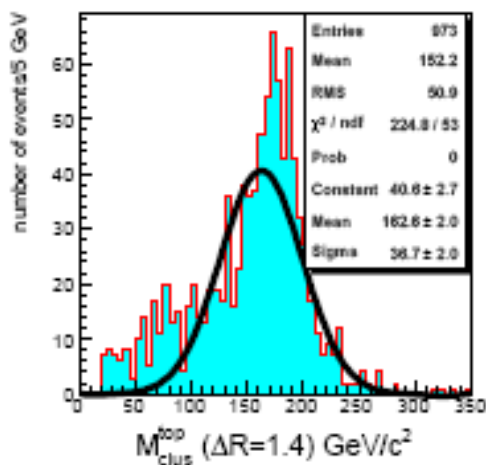
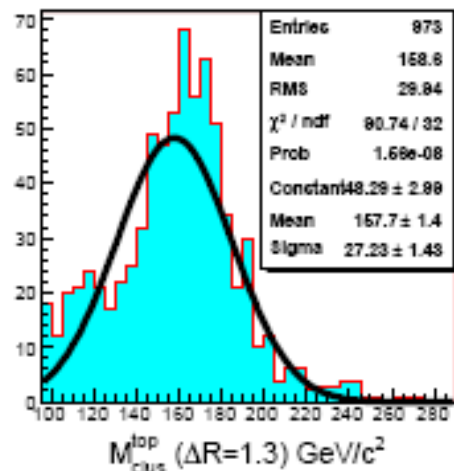
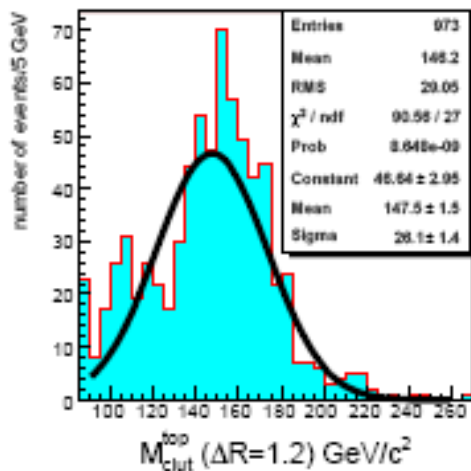
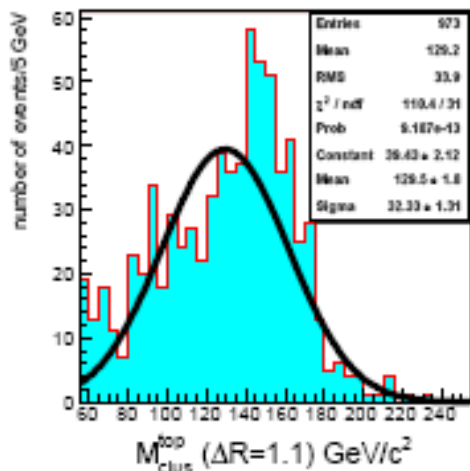
E_T behaviour on jet cone size

Opening angle b/w reco top and calo clusters

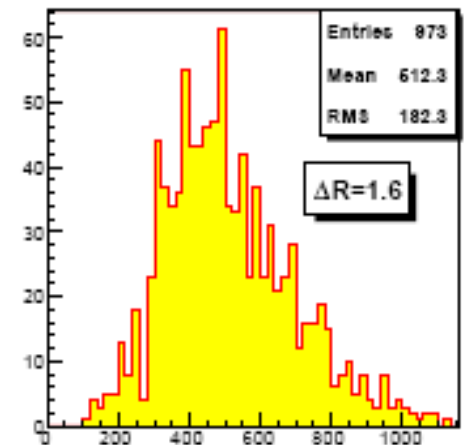
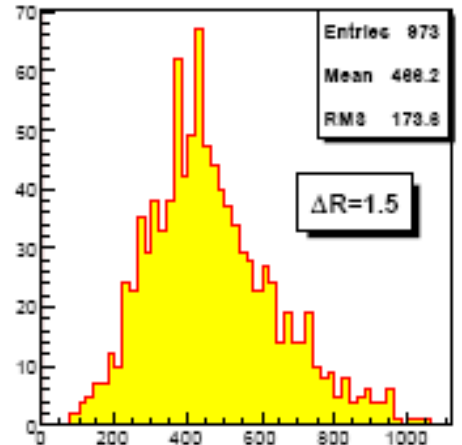
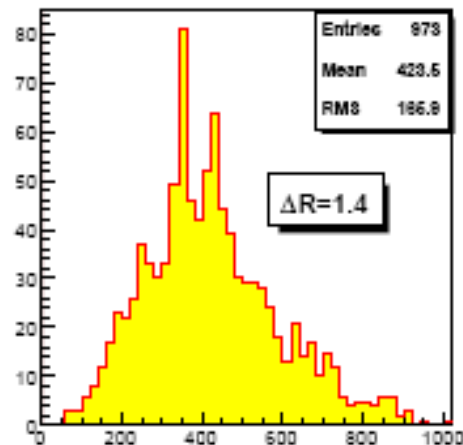
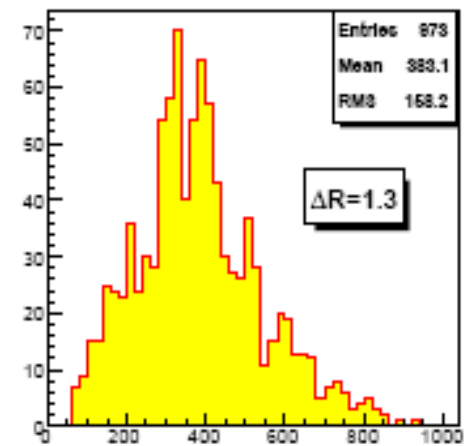
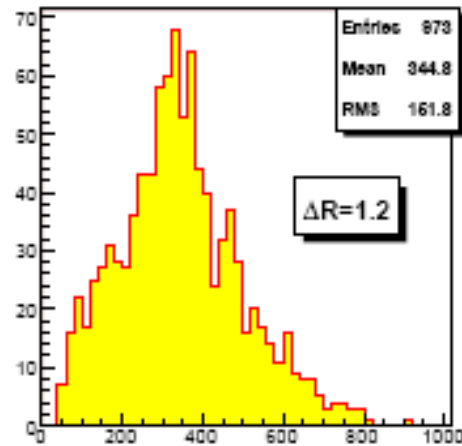
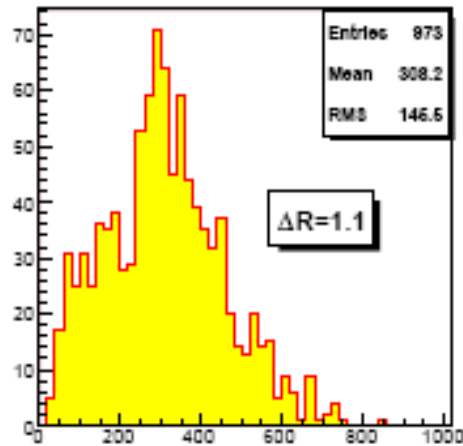


$\Delta R(\text{top, clusters})$

Top mass reconstruction from calorimeter clusters

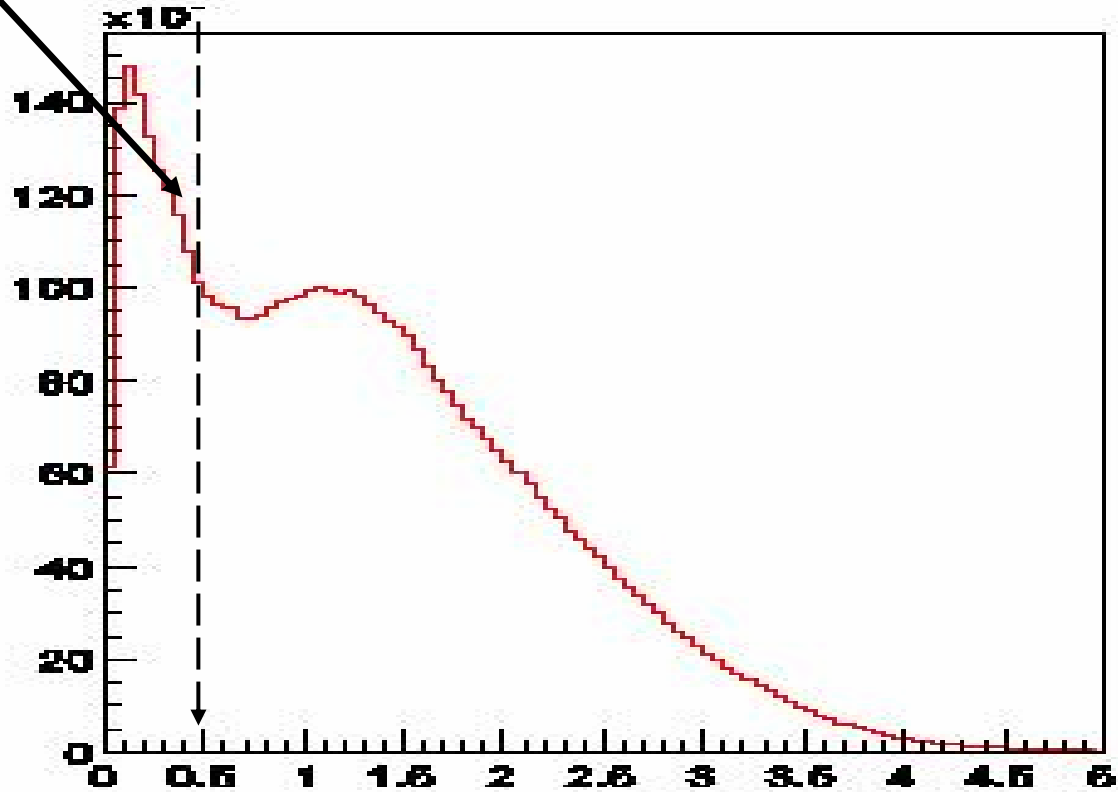


Calorimeter(ECAL+HCAL) clusters distribution



Variable for underlying event measurement

excluded



$\min \Delta R$ (all jets, clust)

UE Estimation Method

From average cells energy outside jets

LAYER # 01 (ECAL)

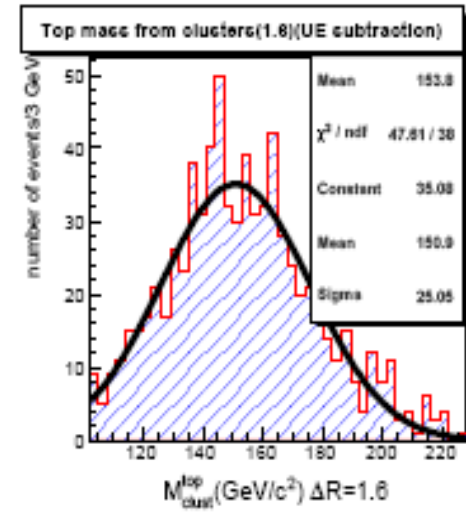
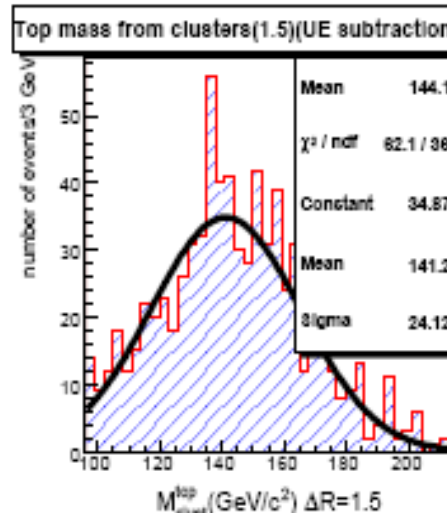
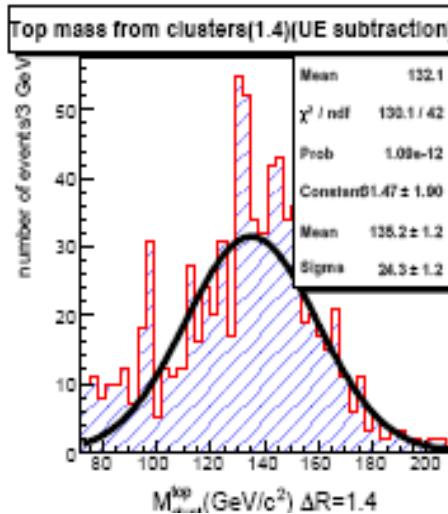
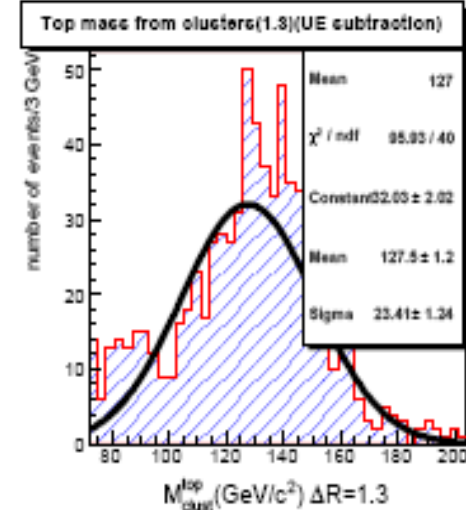
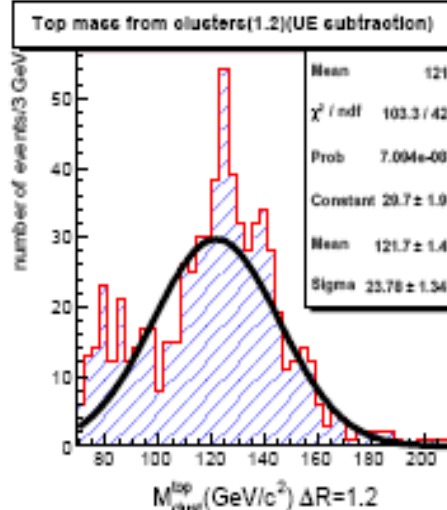
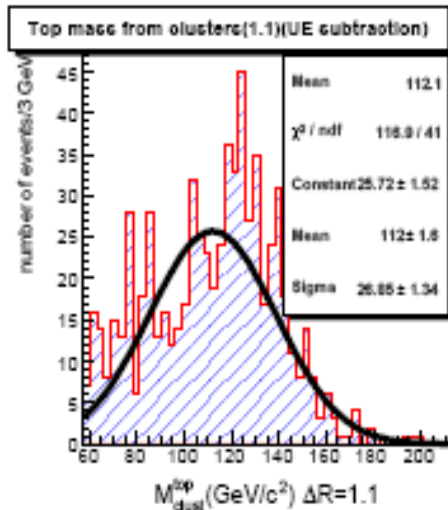
Jet Isolation cut	$\langle E_{\dagger} \rangle$ / cluster (MeV)					
	$\langle \text{no of clusters} \rangle$ / high P_{\dagger} event					
	$ \eta < 0.7$	$ \eta < 1.4$	$ \eta < 2.1$	$ \eta < 3.0$	$ \eta > 3.0$	$ \eta < 5.0$
$\Delta R = 0.7$	47.6 779	41.2 1686	43.8 2673	43.8 2673	36.5 479	41.6 3757
$\Delta R = 0.8$	47.3 690	40.9 690	43.7 690	43.7 690	36.5 469	41.3 3317
$\Delta R = 0.9$	47.2 603	40.6 1365	43.6 2268	43.6 2268	36.5 469	41.3 3317
$\Delta R = 1.1$	47.3 436	39.9 1053	43.5 1858	43.5 1858	36.5 454	41.0 2860
$\Delta R = 1.5$	46.6 175	38.4 523	43.5 1106	40.4 1975	36.8 410	40.4 1975

UE Estimation Method

LAYER # 02 (HCAL)

Jet Isolation cut	$\langle E_+ \rangle$ / cluster (MeV)					
	$\langle \text{no of clusters} \rangle$ / high P_+ event					
	$ \eta < 0.7$	$ \eta < 1.4$	$ \eta < 2.1$	$ \eta < 3.0$	$ \eta > 3.0$	$ \eta < 5.0$
$\Delta R = 0.7$	632.5 38	512.6 88	449.5 135	364.9 227	225.4 178	324.2 347
$\Delta R = 0.8$	630.0 34	507.3 81	443.7 125	358.4 217	225.3 177	318.6 34
$\Delta R = 0.9$	626.7 30	501.0 73	437.2 116	351.3 206	225.2 176	312.6 325
$\Delta R = 1.1$	623.7 22	487.8 22	424.0 22	336.7 22	225.2 176	300.6 22
$\Delta R = 1.5$	606.1 9	456.2 29	394.1 56	307.4 134	225.7 165	278.0 247

Top mass with UE subtraction



Clusters invariant masses

	$\langle M_{\text{clust}}^{\text{top(fitted)}} \rangle$ (GeV) no UE subtraction	$\langle M_{\text{clust}}^{\text{top(fitted)}} \rangle$ (GeV) UE subtraction
$\Delta R=1.1$	130	112
$\Delta R=1.2$	148	121
$\Delta R=1.3$	158	127
$\Delta R=1.4$	163	135
$\Delta R=1.5$	180	141
$\Delta R=1.6$	195	150

Top Mass Scale Calibration using Hight P_T W sample

Calibration Coefficient Formula

$$C_{Top} = \frac{1}{N_{\Delta R}} \sum_{\Delta R=1}^{N_{\Delta R}} \frac{M^W}{m_{clus}^W(\Delta R)}$$

Top Mass determination

$$m_{top} = \frac{1}{N_{\Delta R}} \sum_{\Delta R=1}^{N_{\Delta R}} m_{clus}^{top}(\Delta R) \times C_{top}$$

Summary

- Study based on Fast simulation
- Compared different jets selections (CMS Internal Note)
- Finalize UE subtraction
- Top mass from clusters (fit ?) (CMS Internal Note..... ?)
- Look at leanrity vs true top mass
- Systematics specific to this method
- Calibration is tuned.
- Full Simulations results are expected soon